

Transfer Neural Trees for Heterogeneous Domain Adaptation



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Introduction

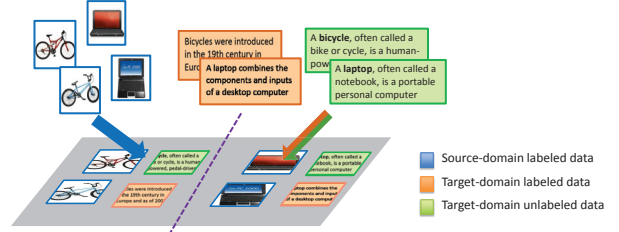
- **Domain adaptation:**
Address the same learning task across different domains
- **Heterogeneous domain adaptation:**
Source and target-domain data are described by distinct types of features.

Related Works

- Map cross-domain data onto a common subspace for classification
- ✓ Jointly learning of mapping & classification functions from cross-domain labeled data [1]
- ✓ Project cross-domain data for suppressing domain differences [2]
- ✓ A pair of DNNs with shared parameters for matching cross-domain data. [3]

Highlights

- Semi-supervised learning of feature mapping and classification functions from cross-domain labeled & unlabeled data
- No cross-domain data pairs are required.
- A shared prediction layer for joint adaptation & classification

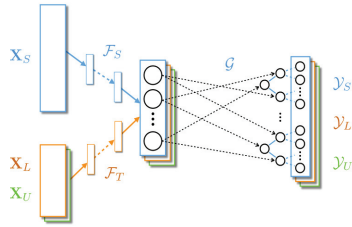


Proposed Method

Transfer Neural Trees (TNT)

- Source-domain mapping \mathcal{F}_S
- Target-domain mapping \mathcal{F}_T
- Prediction layer \mathcal{G}

$D_S = [X_S, Y_S]$: Labeled source-domain data
 $D_L = [X_L, Y_L]$: Labeled target-domain data
 $D_U = [X_U, Y_U]$: Unlabeled target-domain data



Learning \mathcal{F}_S and \mathcal{G} :

- ✓ Minimize prediction loss L_p of source-domain data X_S

$$\min_{\mathcal{F}_S, \mathcal{G}} \sum_{(x,y) \in D_S} L_p(\theta, \pi; x, y) \text{ where } L_p(\theta, \pi; x, y) = \sum_{T \in \mathcal{F}} -\log(R_T[y|x, \theta, \pi])$$

Learning \mathcal{F}_T with fixed \mathcal{G} (semi-supervised learning):

- ✓ Minimize prediction loss L_p of target-domain labeled data X_L
- ✓ Minimize embedding loss L_e of target-domain labeled & unlabeled data

$$\min_{\mathcal{F}_T} \sum_{(x,y) \in D_L} L_p(\theta, \pi; x, y) + \lambda \sum_{\tilde{y}} \sum_{x \in \{X_L, X_U\}} L_e(\theta, \pi; x, \tilde{y})$$

where $L_e(\theta, \pi; x, \tilde{y}) = \sum_{x \in \{X_L, X_U\}, T \in \mathcal{F}} -R_T[\tilde{y}|x, \theta, \pi] \frac{P_T[\tilde{y}|x, \theta, \pi]}{P_T[\tilde{y}|\theta, \pi]}$
 $P_T[\tilde{y}|\theta, \pi] = \frac{1}{n_l + n_u} \sum_{x \in \{X_L, X_U\}} -R_T[\tilde{y}|x, \theta, \pi]$

- Increase prediction consistency \rightarrow preserve structural consistency btw X_L & X_U
- Automatically prune the leaf nodes with insufficient adaptation abilities

Prediction layer \mathcal{G}

- ✓ Deep Neural Decision Forest (dNDF) [4]: back-propagatable random forest

Probability of reaching leaf node l :

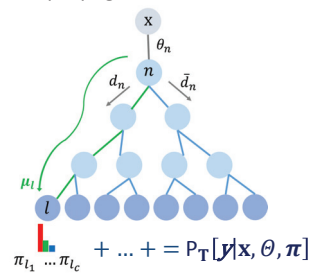
$$\mu_l(x|\theta) = \prod_{n \in \mathcal{N}} d_n(x; \theta)^{1_{l \in \mathcal{L}_n}} \bar{d}_n(x; \theta)^{1_{l \notin \mathcal{L}_n}}$$

Class-label distribution at leaf node:

$$\pi_{l_y}^{(t+1)} = \frac{1}{Z_l^{(t)}} \left(\sum_{(x,y') \in D_S} \frac{1_{y=y'} \pi_{l_y}^{(t)} \mu_l(x|\theta)}{R_T[y|x, \theta, \pi^{(t)})} \right)$$

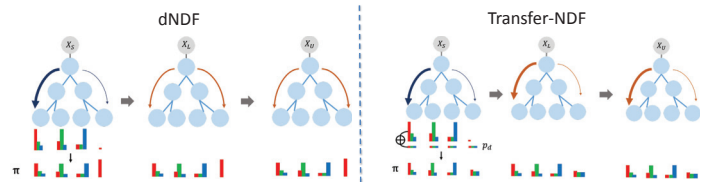
Overall prediction:

$$P_T[y|x, \theta, \pi] = \sum_{l \in \mathcal{L}} \pi_{l_y} \mu_l(x|\theta)$$



- ✓ Transfer Neural Decision Forest (Transfer-NDF):

dNDF with stochastic pruning: $\pi_{l_y}^{(t+1)} = \frac{1}{Z_l^{(t)}} (p_a + \sum_{(x,y') \in D_S} \frac{1_{y=y'} \pi_{l_y}^{(t)} \mu_l(x|\theta)}{R_T[y|x, \theta, \pi^{(t)})})$



Experiments

Datasets

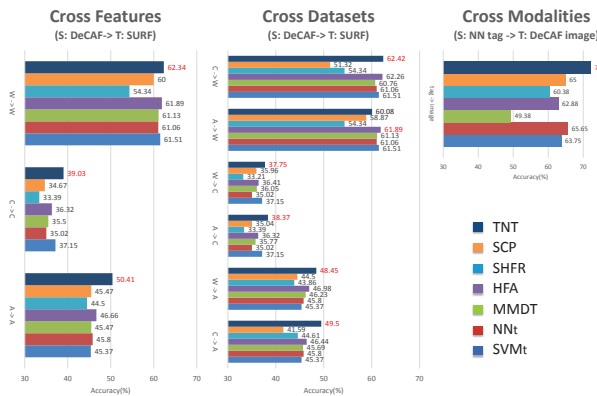
- ✓ Object recognition (10 classes):
 - Amazon: 959 DeCAF/SURF features
 - Webcam: 296 DeCAF/SURF features
 - Caltech: 1124 DeCAF/SURF features
- ✓ Text-to-image recognition (8 classes):
 - NUS-WIDE tag data: 800 NN features
 - ImageNet image: 800 DeCAF features



Settings

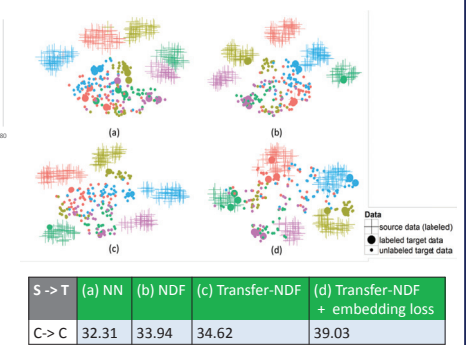
- Source domain: all data in dataset as X_S
- Target domain: 3 per class as X_L , the rest as X_U

Evaluation



Visualization

- ✓ Different \mathcal{G} in TNT



Conclusions

- TNT for semi-supervised & cross-domain deep learning
- Transfer-NDF with stochastic pruning for HDA
- Embedding loss in TNT for preserving prediction & structural consistency
- Promising results on cross-feature, domain, and modality classification tasks

Reference

- [1] Hoffman et al. "Efficient learning of domain-invariant image representations," ICLR, 2013.
- [2] Wang et al. "Heterogeneous domain adaptation using manifold alignment," IJCAI, 2011.
- [3] Shu et al. Weakly-shared deep transfer networks for heterogeneous-domain knowledge propagation," ACM MM, 2015.
- [4] Kotschieder et al. "Deep Neural Decision Forests," ICCV, 2015.